

The Art of Molecular Programming Problem-Set Examples

Key Concept: Helicity & Crossovers
Comprehension Ex.

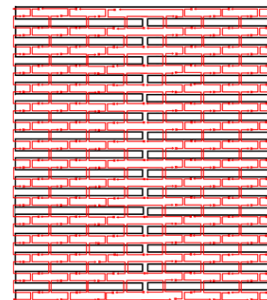
Multiple Choice: You can place a staple extension on ANY base along the helix of a 2D or 3D structure

- A. Yes, DNA structures are fully addressable and extensions/sticky ends can be positioned anywhere with subnanometer accuracy
- B. Yes, but it might point INSIDE the structure, in the wrong direction, or be thermodynamically unstable
- C. No, sticky ends can only be positioned every 10.5 bases from one another
- D. No, sticky ends must have motifs that bind multiple scaffold sections

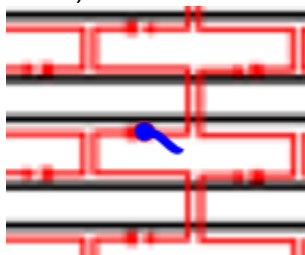
True/False: you can use the left hand rule to determine where a sticky end will point

Skill Demonstration Ex.

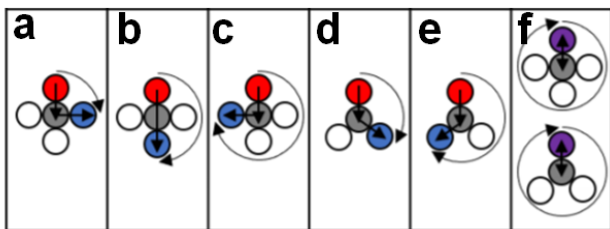
Short Answer: For the Rothemund Tall Rectangle (full image to the right) explain why all of the staple 5' & 3' ends point out towards the same side of the origami - these staples almost exclusively have an 8 base-crossover-16base-crossover-8base motif structure.



Short Answer: For a standard 2D origami on a square lattice (below), there is a single position labeled with a sticky end. Find the two closest positions where you could add a sticky end (including by adding a staple break)



Quantitative Question: The rectangular lattice and hexagonal lattice represent different angles at which helices connect when looking down the helix direction. A single helix can have 4 neighboring helices at 90° in rectangular, but in the hexagonal lattice it will have 3 neighboring helices at 120°. The 'relaxed' number of bases between turns is 10.5 bases. For the below, what is the minimum number of bases between enforcing crossovers?



Decision Making and Derivation Ex.

Short Answer/Design: For the Rothemund Tall Rectangle, all 5' and 3' staple positions point out the same direction (out bottom) of the origami. Modify the staples below to create a staple with a 5' or 3' end which will point in the opposite direction (through the top)